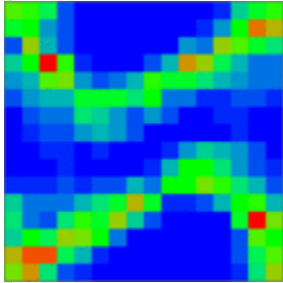


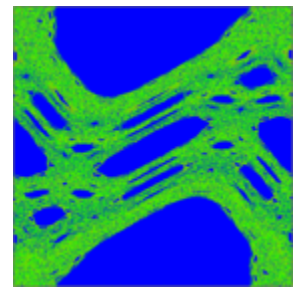
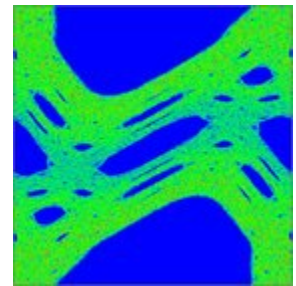
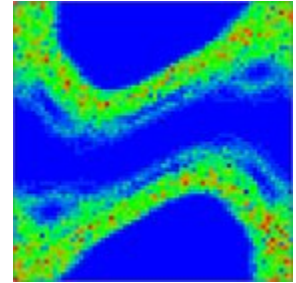
# Category:Quantum chaos



**Quantum Chaos** emerged as a new field of physics from the efforts to understand the properties of quantum systems which have chaotic deterministic dynamics in the classical limit. Such classical dynamics in a bounded phase space is characterized by a continuous spectrum of motion and exponential instability of trajectories and belongs to the Category Chaos in Dynamical systems. In contrast the corresponding quantum systems have a discrete spectrum and are usually stable in respect to small

perturbations. In spite of these differences the **correspondence principle of Niels Bohr** guaranties that the quantum evolution follows the classical chaotic dynamics during a certain time scale which becomes larger and larger when the dimensionless **Planck constant** goes to zero (see Figures). Also the **Ehrenfest theorem** states that a narrow wave packet follows closely even a chaotic trajectory. However, due to the exponential instability of chaotic dynamics a wave packet spreading is exponentially fast and the **Ehrenfest time** on which the theorem is valid becomes logarithmically short. The problem of semiclassical quantization of such quantum systems had been pointed out by **Albert Einstein** already in 1917 but it found its solution only at the end of the century. *What happens beyond the Ehrenfest time? What are the properties of quantum states in this regime?* The answers on these and other questions can be found in this Category.

**Quantum Chaos** finds applications in number theory, fractal and complex spectra, atomic and molecular physics, clusters and nuclei, quantum transport on small scales, mesoscopic solid-state systems, wave propagation, acoustics, quantum computers and other areas of physics. It has close links with the Random Matrix Theory, invented by **Wigner** for a description of spectra of complex atoms and nuclei, interacting quantum many-body systems, quantum systems with disorder, quantum complexity of large matrices.



## Pages in category "Quantum chaos"

The following 29 pages are in this category, out of 29 total.

### A

- Anderson localization and quantum chaos maps
- Arithmetical quantum chaos

### B

- Bohigas-Giannoni-Schmit conjecture
- Boris Valerianovich Chirikov

### C

- Chaotic microlasers
- Chirikov standard map

### G

- Gutzwiller trace formula

### J

- Jaynes-Cummings model and quantum chaos

### K

- Kicked Harper model
- Kicked top

### L

- Loschmidt echo

### Q cont.

- Quantum scars

### R

- Random matrix theory
- Resonant tunneling diode and quantum chaos
- Riemann zeros and quantum chaos
- Rydberg atoms in a magnetic field and quantum chaos

### S

- Semiclassical theory of helium atom

- ✦ Cold atom experiments in quantum chaos

## M

- ✦ Microwave ionization of hydrogen atoms

## D

- ✦ Dissipative quantum chaos

## F

- ✦ Field theory of quantum chaos

## M

- ✦ Mesoscopic transport and quantum chaos
- ✦ Microwave billiards and quantum chaos

## Q

- ✦ Quantized baker map
- ✦ Quantum chaos
- ✦ Quantum chaotic scattering

- ✦ Shnirelman theorem
- ✦ Spectral properties of quantum diffusion
- ✦ Superconducting billiards and quantum chaos

Categories: Chaos | Physics | Quantum Mechanics | Dynamical Systems

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